Paper 1 - Calculator (50 marks):

| Topic | Marks <br> available |
| :--- | :---: |
| Types of number | 8 |
| Use of a calculator | 6 |
| Algebra skills - solving, simplifying, substitution, <br> expanding | 12 |
| Properties of 2D shapes | 2 |
| Area and Perimeter | 10 |
| Sequences | 5 |
| Representing data - bar charts, pie charts | 4 |
| Use of parallel line facts to find missing angles. | 3 |

Paper 2 - Non-Calculator (50 marks):

| Topic | Marks <br> available |
| :--- | :---: |
| Place Value and rounding | 8 |
| Written calculations - four operations | 10 |
| Calculations using the four operations with fractions | 7 |
| Order of Operations | 4 |
| Calculating a fraction or percentage of an amount | 10 |
| Coordinates and simple straight lines | 3 |
| Calculating missing angles on straight lines, around a <br> point and in triangles. | 5 |
| Algebra skills - solving, simplifying, substitution, <br> expanding | 3 |

Please see following pages for knowledge organisers for each of the key topics on the assessment.

## Addition and Subtraction

| Topic/Skill | Definition/Tips | Example |
| :---: | :---: | :---: |
| 1. Addition | ... where a group of values are added together to find the overall total. | $\begin{array}{rrr} 5 & 6 & 7 \\ 1 & 9 & 9 \end{array}+$ |
| 2. Addition: Key words | "total", "sum", "combined", "plus", <br> "altogether", "how many", <br> "increase" | Find the total of 45, 62 and 35 $\ldots 45+62+35=142$ <br> Increase 85 by 192 $\ldots 85+192=277$ |
| 3. Subtraction | ... where a group of values are subtracted together to find how many remain. | $\begin{aligned} & \mathrm{H} \text { T U } \\ & 7 \\ & \hline \end{aligned} 13 \text { 43- }$ |
| 4. Subtraction: Key words | "difference", "minus", "less than", "decrease", "reduce", "deduct" | Deduct 85 from 193 $193-85=108$ <br> What is the difference of 820 and 190 ? $820-190=630$ |
| 5. Integer | ... meaning the value used has to be a whole number. | $\begin{gathered} \text { Integer }-8,10,50,140,940 \\ {[\ldots . . \text { any whole number] }} \end{gathered}$ |
| 6. Decimal | ... meaning the value is not whole or complete and uses a decimal point. | $\begin{aligned} & \hline \text { Decimal }-1.5,10.2,17.84,0.412 \\ & \quad[\ldots \text { any number using a decimal point }] \end{aligned}$ |
| 7. Financial Addition | ... where a total is required using a given currency. <br> On bank statements, the term 'credit' is used when money is paid into an account. | he total of $£ 1.05, £ 2.10$ and $£ 4.261 .05+$ $2.10+4.26=£ 7.41$ |
| 8. Financial Subtraction | ... where a total is required using a given currency. <br> On bank statements, the term 'debit' is used when money is paid out of an account. | Jack pays $£ 4.80$ with a $£ 10$ note. How much change does he get? $10.00-4.80=£ 5.20$ |

Coordinates


## Perimeter

| Topic/Skill | Definition/Tips | Example |
| :--- | :--- | :--- |
| 1. Perimeter | The total distance around the outside <br> of a shape. <br> Units include:cm, m, km etc. | $\mathbf{8} \mathbf{8 ~ c m}$ |


| 2. | A shape made up of a combination of <br> other known shapes put together. <br> Compound <br> Shape |  |
| :--- | :--- | :--- |
|  |  |  |

## Place Value

| Topic/Skill | Definition/Tips | Example |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1. Digit | Any of the ten numbers 0 , <br> 1, 2, 3, 4, <br> 5, 6, 7, 8, 9 | The number 23,452 has five digits |  |  |  |  |  |  |
| 2. Place Value | The value of a digit depending on its position. | The n The p 432 th $\mathbf{2 4}$ $\mathbf{2 , 0 0 4}$ colum | umbers ace valu <br> he value <br> the valu <br> the val | 24, 2004 2 is differ <br> as it is the <br> 20 as it is <br> 2000 as it | all have <br> ones co <br> the ten <br> in the | the nu <br> umn <br> s colu <br> thousa | mbe <br> n <br> ds | $\text { r } 2 .$ |
| 3. Place Value Columns | A chart or grid to show the place value of digits. | milloss | ${ }_{\text {Hen }}^{\substack{\text { Hunded d } \\ \text { Thousands }}}$ | Ten Thousands | Thousands | Hundreds | tens | Ones |
|  | As we move left, each position is 10 times bigger. | Two million, four hundred and thirteen thousand, six hundred and twenty - seven |  |  |  |  |  |  |
| 4. Read and write numbers | The place value columns helps us read and write numbers. |  | ${ }_{\text {Hen }}^{\substack{\text { Hundred } \\ \text { Thousands }}}$ | Ten Thousands | Thousands | Hundreds | tens | ones |
|  |  | umber is made of $3,000+500+20+7$ <br> Three thousand, five hundred and twenty-seven |  |  |  |  |  |  |
| 5. Integers | Whole numbers. These can be positive or negative | 4, 78, 124 and -34 are all integers |  |  |  |  |  |  |
| 6. Powers of 10 | 10 multiplied by itself a certain number of times | $10,100,1000,$ |  |  |  |  |  |  |


| C. <br> Comparing <br> Integers | We can use the symbols $=$ <br> $\neq<>$ to compare integers. | $902<93$ (less than) |
| :--- | :--- | :--- |
|  | < less than <br> $>$ greater than <br> $=$ equal to <br> f not equal to | $8106>8099$ (greater than) <br> (not equal) |
| 8. Decimals | Decimal means "based on <br> $10 "$ | 17.591 is a decimal number five (equal to) $305 \neq 350$ <br> Digits can be placed to the <br> left or right <br> of a decimal point, to show <br> values greater than one or <br> less than one. |


| 9. Decimal Point | The decimal point positions all the digits in a number. | 2.3 means 2 ones and 3 tenths |
| :---: | :---: | :---: |
|  | Place value chart including decimals <br> As we move left, each position is 10 <br> times bigger. <br> As we move right, each position is 10 <br> times smaller. | Write in figures seventy-two hundredths <br> 0.72 |
| 10. <br> Decimal Place | The position of a digit to the right of a decimal point. | In the number 0.372 , the 3 is in the 1st decimal place. Its value is 0.3 or 3 tenths |
| 11. Comparing Decimals | We can put the numbers in order from smallest to biggest (ascending order) <br> 1. Find the value of each digit starting from the left. <br> 0. Compare the digits with the same place value starting from the left. | Put these numbers in ascending order 346.01 $361.04310 .46$ <br> $1^{\text {stdigit }}$ is $3-300$ is the same in all $2^{\text {nd }}$ digit is 4,6 , and $1-1$ is the smallest in the tens column so 310.46 is the smallest. <br> The next smaller is 4 and last is 6 . So in order $310.46 \quad 346.01361 .04$ |

## Rounding

| Topic/Skill | Definition/Tips | Example |
| :---: | :---: | :---: |
| 1. Integers | Whole numbers. These can be positive or negative | 4, 78, 124 and -34 are all integers |
| 2. Powers of 10 | 10 multiplied by itself a certain number of times | $\begin{aligned} & \hline 10,100,1000, \\ & 10,000,100,000,1,000,000 \end{aligned}$ |
| 3. Rounding to 10 | To make a number simpler but keep its value close to what it was. <br> If the digit to the right of the rounding digit is less than 5 , round down. If the digit to the right of the rounding digit is $\mathbf{5}$ or more, round up. | 46 rounds up to 50, because 46 is closer to 50 than 40. <br> 246 rounds up to 250 which is the nearest 10 . <br> 3,246 rounds to 3,250 which is the nearest 10 |
| 4. Rounding to 100 | To make a number simpler but keep its value close to what it was. | 278 rounds up to $\mathbf{3 0 0}$ which is the nearest 100 <br> 3,278 rounds up to $3, \mathbf{3 0 0}$ which is the nearest 100 |
| 5. Rounding to 1,000 | To make a number simpler but keep its value close to what it was. | 4,367 rounds down to 4,000 which is the nearest 1,000 <br> 4,867 rounds up to 5,000 which is the nearest 1,000 |
| 6. <br> Significant Figure | The significant figures of a number are the digits which carry meaning (ie. are significant) to the size of the number. <br> The first significant figure is the first non zero digit from the left <br> In a number with a decimal, trailing zeros are not significant. <br> The zeros at the end are not significant | In the number 4,867 are 4 significant figures and the $1^{\text {stone }}$ is 4 <br> In the number 0.00821, there are three significant figures the $1^{\text {s }}$ significant figure is the 8 <br> In the number 2,740 the 0 is not a significant figure. This number has 3 significant figures.. |

## Area

| Topic/Skill | Definition/Tips | Example |
| :--- | :--- | :--- | :--- |
| 1.Area |  |  |
| Uhape. |  |  |
| Units include: $\mathrm{mm} 2, \mathrm{~cm} 2, \mathrm{~m} 2$ |  |  |

## Averages

| Topic/Skill | Definition/Tips | Example |
| :--- | :--- | :--- |
| 1. Mean | Add up the values and divide by how many values <br> there are. | The mean of 3, 4, 7, 6, 0, 4, 6 <br> is |
| 2. Median <br> Value | The middle value. | Find the median of: 4, 5, 2, 3, <br> $6,7,6$ |
|  | Put the data in order and find the middle one. <br> If there are two middle values, find the number half <br> way between them by adding them together and <br> dividing by 2. | Ordered: 2, 3, 4, 5, 6, 6, 7 <br> Median =5 |
| 3. Mode /Modal <br> Value | Most frequent/common. <br> Can have more than one mode (called bi-modal or <br> multi-modal) or no mode (if all values appear once) | Find the mode: 4, 5, 2, 3, 6, 4, <br> $7,8,4$ <br> Mode =4 |


| 4. Range | Highest value subtract the Smallest value | Find the range: 3, 31, 26, 102, <br> $37,97$. |
| :--- | :--- | :--- |
|  | Range is a 'measure of spread'. The smaller the range <br> the more consistent the data. | Range $=102-3=99$ |

## Types of Number

| Topic/Skill | Definition/Tips | Example |
| :---: | :---: | :---: |
| 1. Multiple | The result of multiplying a number by an integer. The times tables of a number. | The first five multiples of 7 are: $7,14,21,28,35$ |
| 2. Factor | A number that divides exactly into another number without a remainder. <br> It is useful to write factors in pairs | The factors of 18 are: $1,2,3,6,9,18$ <br> The factor pairs of 18 are: $\begin{gathered} 1,18 \\ 2,9 \\ 3,6 \\ \hline \end{gathered}$ |
| 3. Lowest Common Multiple (LCM) | The smallest number that is in the times tables of each of the numbers given. | The LCM of 3, 4 and 5 is 60 because it is the smallest number in the 3, 4 and 5 times tables. |
| 4. Highest Common Factor (HCF) | The biggest number that divides exactly into two or more numbers. | The HCF of 6 and 9 is 3 because it is the biggest number that divides into 6 and 9 exactly. |
| 5. Prime Number | A number with exactly two factors. <br> A number that can only be divided by itself and one. <br> The number 1 is not prime, as it only has one factor, not two. | The first ten prime numbers are: $2,3,5,7,11,13,17,19,23,29$ |
| 6. Prime Factor | A factor which is a prime number. | The prime factors of 18 are: $2,3$ |
| 7. Product of Prime Factors | Finding out which prime numbers multiply together to make the original number. <br> Use a prime factor tree. <br> Also known as 'prime factorisation'. |  |

## Angles

| Topic/Skill | Definition/Tips | Example |
| :---: | :---: | :---: |
| 1. Types of Angles | Acute angles are less than $90^{\circ}$. <br> Right angles are exactly $90^{\circ}$. <br> Obtuse angles are greater than $90^{\circ}$ but less than $180^{\circ}$. <br> Reflex angles are greater than $180^{\circ}$ but less than $360^{\circ}$. |  |
| 2. Angle Notation | Can use one lower-case letters, eg. or x <br> Can use three upper-case letters, eg. BAC |  |
| 3. Angles at a Point | Angles around a point add up to $360^{\circ}$. |  |
| 4. Angles on a Straight Line | Angles around a point on a straight line add up to $180^{\circ}$. |  |
| 5. Opposite Angles | Vertically opposite angles are equal. | $\frac{x / y}{y / x}$ |
| 6. Angles in a Triangle | Angles in a triangle add up to $180^{\circ}$. |  |

## Percentages

| Topic/Skill | Definition/Tips | Example |
| :--- | :--- | :--- |
| 1. Percentage | Number of parts per 100. | $31 \%$ means $\frac{31}{100}$ |


| 2. Finding $10 \%$ | To find $\mathbf{1 0 \%}$, divide by $\mathbf{1 0}$ | $10 \%$ of $£ 36=36 \div 10=£ 3.60$ |
| :--- | :--- | :--- |
| 3 . Finding $1 \%$ | To find $\mathbf{1 \%}$, divide by $\mathbf{1 0 0}$ | $1 \%$ of $£ 8=8 \div 100=£ 0.08$ |

## Algebra Skills

| Topic/Skill | Definition/Tips | Example |
| :--- | :--- | :--- |
| 1. Expression | A mathematical statement written using symbols, <br> numbers or letters, | $3 \mathrm{x}+2$ or $5 \mathrm{y}^{2}$ |
| 2. Equation | A statement showing that two expressions are <br> equal | $2 \mathrm{y}-17=15$ |
| 3. Identity | An equation that is true for all values of the <br> variables <br> An identity uses the symbol: | $2 x \equiv x+x$ |
| 4. Formula | Shows the relationship between two or more <br> variables | Area of a rectangle $=$ length x <br> width or $\mathrm{A}=\mathrm{LxW}$ |
| 5. Simplifying <br> Expressions | Collect 'like terms'. <br> Be careful with negatives. <br> x 2 and x are not like terms. | $2 \mathrm{x}+3 \mathrm{y}+4 \mathrm{x}-5 \mathrm{y}+3=6 \mathrm{x}-2 \mathrm{y}+3$ <br> $3 \mathrm{x}+4-\mathrm{x} 2+2 \mathrm{x}-1=5 \mathrm{x}-\mathrm{x} 2+3$ |
| 6. x times x | The answer is x 2 not 2 x. | Squaring is multiplying by <br> itself, not by 2. |
| 7. $\mathrm{p} \times \mathrm{p} \times \mathrm{p}$ | The answer is p 3 not 3 p | If $\mathrm{p}=2$, then $p^{3}=2 \mathrm{x} 2 \mathrm{x} 2=8$, not <br> $2 \mathrm{x} 3=6$ |
| 8. $\mathrm{p}+\mathrm{p}+\mathrm{p}$ | The answer is 3p not p 3 | If $\mathrm{p}=2$, then $2+2+2=6$, not $2^{3}$ <br> $=8$ |
| 9. Expand | To expand a bracket, multiply each term in the <br> bracket by the expression outside the bracket. | $3(\mathrm{~m}+7)=3 \mathrm{x}+21$ |

## Sequences

| Topic/Skill | Definition/Tips | Example |
| :--- | :--- | :--- |
| 1. Linear <br> Sequence | A number pattern with a common difference. | $2,5,8,11 \ldots$ is a linear sequence |
| 2. Term | Each value in a sequence is called a term. | In the sequence 2, $5,8,11 \ldots, 8$ is <br> the third term of the sequence. |
| 3. Term-to-term <br> rule | A rule which allows you to find the next term in a <br> sequence if you know the previous term. | First term is 2. Term-to-term rule <br> is 'add 3' <br> Sequence is: $2,5,8,11 \ldots$ |


| 4. nth term | A rule which allows you to calculate the term that <br> is in the $\mathbf{n t h}$ position of the sequence. <br> Also known as the 'position-to-term' rule. <br> $\mathbf{n}$ refers to the position of a term in a sequence. | nth term is $3 \mathrm{n}-1$ <br> The $100^{\text {m }}$ term is $3 \times 100-1=299$ |
| :--- | :--- | :--- |

## Fractions

| Topic/Skill | Definition/Tips | Example |
| :---: | :---: | :---: |
| 1. Multiplying Fractions | 1. Multiply the top numbers (numerators) <br> 2. Multiply the bottom numbers (denominators) <br> 3. Simplify the fraction if needed. | $\begin{gathered} \frac{3}{5} \times \frac{5}{6}=\frac{15}{30} \\ =\frac{1}{2} \end{gathered}$ |
| 2. Multiply a fraction by integer <br> 3. Multiply mixed | Make the whole number a fraction, by putting it over 1. <br> Then multiply as above <br> Change them into improper fractions | $\begin{gathered} 10 \times \frac{5}{6}=\frac{10}{1} \times \\ \frac{50}{6} \end{gathered}$ |
| 3. Multiplying mixed numbers | Convert numbers from mixed numbers to improper fractions <br> Then multiply as above | $\left[\begin{array}{c} 51 / 2 \times 1 \frac{1}{4}= \\ 1 \frac{1}{2} \times 2 \frac{2}{3}=\frac{3}{2} \\ \frac{24}{6}=4 \\ 11 / 2 \times 5 / 4= \\ 55 / 8 \end{array}\right.$ |
| 4. Reciprocal | The reciprocal of a number is 1 /number. | The reciprocal of 8 is $1 / 8$ |
| 5. Dividing Fractions | Keep, flip, change. | $\begin{aligned} & \frac{5}{6} \div \frac{2}{3}= \\ & \frac{5}{6} \times \frac{3}{2}=\frac{15}{12} \end{aligned}$ |


|  | Step 1:Find a common denominator. <br> Step 2: "Whatever you do to the denominator, you do to <br> the numerator". <br> Step 3: Add or subtract the numerator. | $\frac{3}{8}+\frac{1}{6}=\frac{9}{24}+=$ |
| :--- | :--- | :---: |
| 6. Adding and subtracting |  |  |

